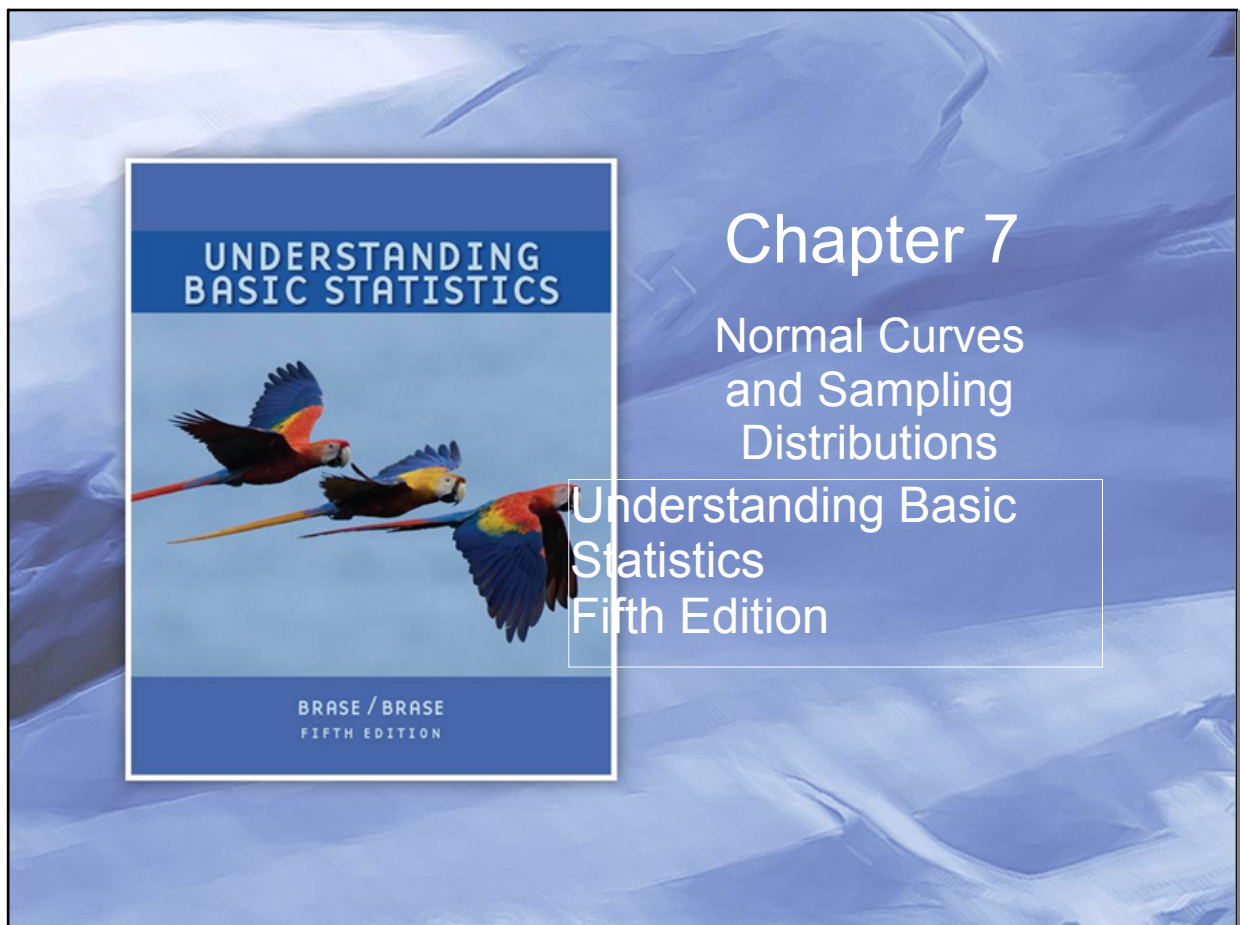


Login clickers & yes calculators.

Have out the 7.1 vocabulary and S.S. part 3 to collect.

Get the 7.2 vocabulary and READ pgs. 251 - 258

May 24-7:44 AM



Nov 5-3:20 PM

Raw Scores and z Scores

The z value or z score gives the number of standard deviations between the original measurement x and the mean μ of the x distribution.

$$z = \frac{x - \mu}{\sigma}$$

Given an x distribution with mean μ and standard deviation σ , the raw score x corresponding to a z score is

$$x = z\sigma + \mu$$

$$2 \cdot 3 + 2$$



Raw Scores and z Scores

The z value or z score gives the number of standard deviations between the original measurement x and the mean μ of the x distribution.

$$z = \frac{x - \mu}{\sigma}$$

For a distribution with $\mu = 10$ and $\sigma = 2.5$, find the z score of the value $x = 15$.

1 Answer?

a). $z = 2$

b). $z = 12.5$

c). $z = 4$

d). $z = 3.16$



Do Example 1.

From example 1 what is the raw score if the z-score is 2?

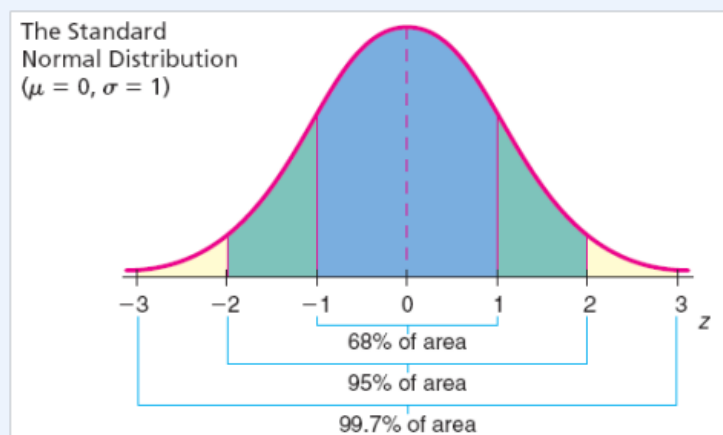
Do Example 2.

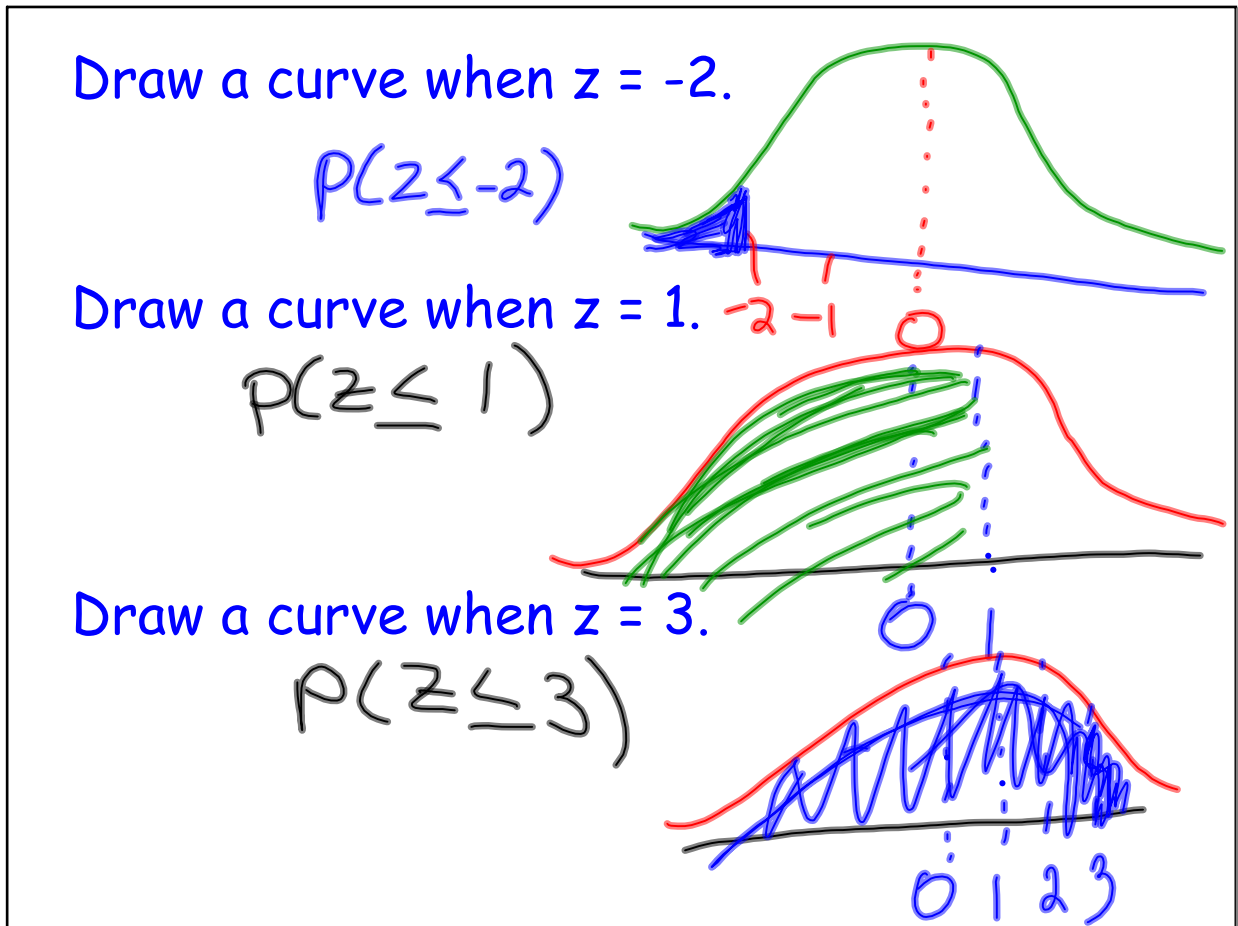
Fill in the blanks for II and III

Nov 7-10:42 AM

Distribution of z-Scores

- If the original x values are normally distributed, so are the z scores of these x values.
- $\mu = 0$
- $\sigma = 1$





Using the Standard Normal Distribution

There are extensive tables for the Standard Normal Distribution.

- We can determine probabilities for normal distributions:
- Transform the measurement to a z score.
- Utilize Table 3 of the Appendix.

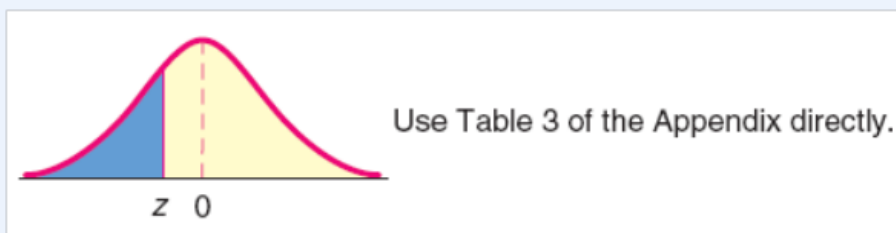


Using the Standard Normal Table

- Table 3(a) gives the cumulative area for a given z value.
- When calculating a z Score, round to 2 decimal places.
- For a z Score less than -3.49 , use 0.000 to approximate the area.
- For a z Score greater than 3.49 , use 1.000 to approximate the area.



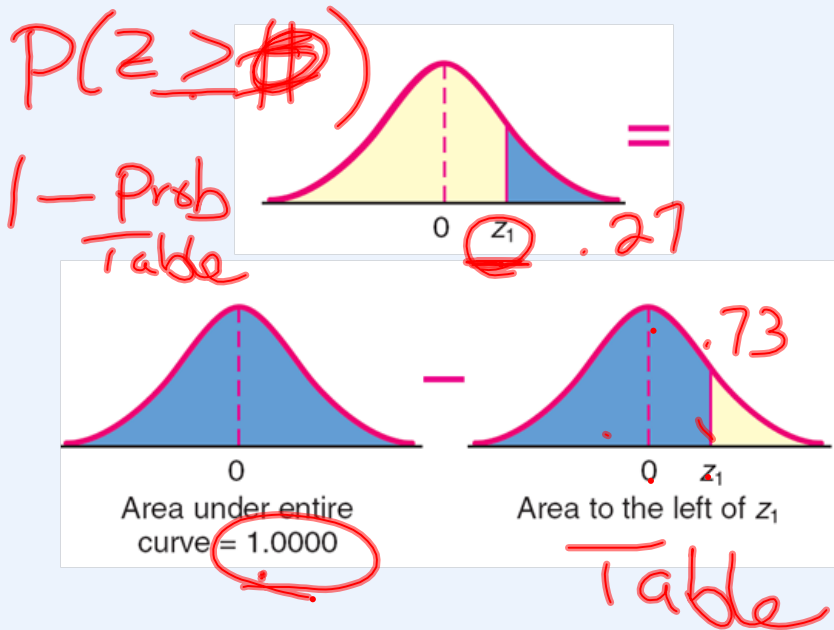
Area to the Left of a Given z Value



Negative z -scores

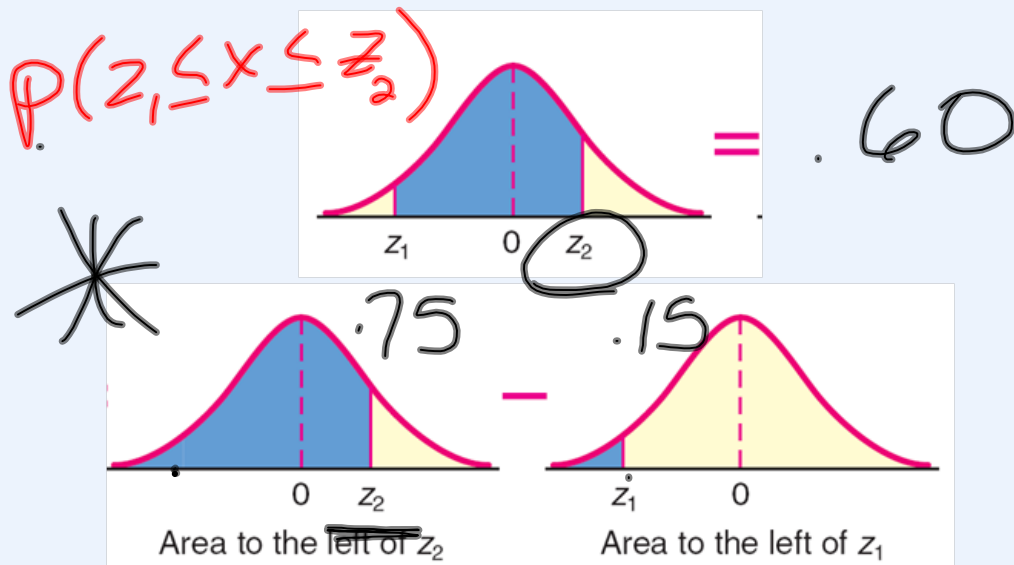


Area to the Right of a Given z Value



Nov 5-3:20 PM

Area Between Two z Values



Nov 5-3:20 PM

Using a z Table

Using Table 3 in the Appendix , find the probability that $z > 0.9$.

2 Answer?

a). 0.22

b). 0.09

c). 0.65

d). 0.18

